2.
$$\frac{dy}{dx} = 4xy$$
 if $y = e^4$ when $x = 1$

6.4 Initial Value and Exponential Growth and Decay Find the solution to the initial value problem.

1.
$$\frac{dy}{dx} = \frac{2x}{y}$$
 if $y = 4$ when $x = 3$

3.
$$\frac{dy}{dx} = e^{x+y}$$
 if $y = 4$ when $x = 0$

4.
$$\frac{dy}{dx} = 3y$$
 if $y = 10$ when $x = 0$

2005 Free Response #6

$$\frac{dy}{dx} = \frac{-xy^2}{2}, f(-1) = 2$$

Do you remember the law of exponential change?

What does "exponential change" really mean anyway?

The law of exponential change (from a calculus perspective):

Solve
$$\frac{dy}{dt} = ky$$
 if $y = y_0$ when t=0

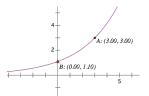
The law of exponential change

Calc Version:

Algebra Version:

1. Solve
$$\frac{dy}{dt} = -2.1y$$
 if $y_0 = 100$

Find an equation in the form $y = y_0 e^{kt}$ for the following graph



3. A certain bacteria grows at a rate proportional to the amount present. If after 3 hours there are 3000 bacteria and after 7 hours there are 5000 bacteria, what was the initial amount? How many will be present at 10 hours?

4. A radioactive substance decays according to the equation $y = y_0 e^{-06t}$. Find the half-life of the substance. How long before only 20% of the substance remains?

5. The rate of change (in cubic inches per second) of the volume of water in a draining swimming pool is proportional to the amount present, according to the equation $\frac{dy}{dt} = -1.5y$. The initial amount of water is 10,000 cubic inches. When will

there be 100 cubic inches remaining?

Newtons Law of Cooling $T - T_s = (T_0 - T_s)e^{-kt}$

 $6.\;$ A cinnamon eggo waffle is 200° when taken out of the toaster and set on your little sister's plate. After one minute, the eggo has cooled to 170°. If the eggo cools to 100° then the butter will no longer melt, and your little sister will throw a massive temper tantrum. You will then need make her new egos and eat the cold ones yourself. How much time do you have to butter the eggo? (Room temp is70°)